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Interoperable Conventional Intercity and HSR Station Location Identification Model

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Presented by

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Background

- Important characteristics addressed while planning an HSR system (not limited to):
 - Technical design details: type of HSR technology, rolling stock, choice of gauge
 - Operational characteristics: exclusive on grade separated right-of-way, shared right-of-way with existing conventional rail and/or freight.
- Generally operate on exclusive or grade separated right-of-way.
- In certain cases: infrastructure designed to facilitate movement of HSR on conventional intercity lines, or vice versa.
- This flexibility of operation: Interoperability.
- Typically observed when HSR corridor being designed coincides with existing conventional and/or freight corridor. Ex. AVE, Spain; ICE, Germany; Eurostar Italia



Underground HSR: Shenzen-Hong Kong (Source: Google)



Elevated HSR: Beijing-Tianjin (Source: Google)

Prerequisites for interoperability:

- Common technical specifications like track gauge, signalling etc.
- Existing spare line capacity
- Appropriate facilities (such as stations) capable of serving HSR demand

Advantages :

- Ridership perspective: seamless mode transfer and accessibility benefits for the passengers
- Operator perspective: reduction of infrastructure cost and optimized utilization of existing rail network



Gauge



Spare Line capacity



Passenger transfer

Underlying issues for Interoperability

- All existing stations:
 - May not satisfy the ridership potential, corridor length and interstation spacing requirements necessary for HSR operation
 - Providing more stations increases the access to intermediate locations, which boosts ridership. However, this increases overall travel time. On the contrary, lesser number of stations or stops, reduces overall ridership of the HSR.
 - A trade-off or balance between both these objectives would yield the optimum number and location of HSR stations.

Problem Definition and Formulation

• Objective: identify station locations which maximize ridership and connect the identified station locations in the shortest route possible (Current et al. 1985)

$$Max Z_1 = \sum_{n=1}^{N_{Smax}} \alpha_n * r_n$$

$$Min Z_2 = \sum_{i=1}^{N_{S}-1} \sum_{j=2, j \neq i}^{N_S} \sigma_{ij} * d_{ij}$$

Combining both objectives into single objective problem using weightage method (Current *et al.* 1985; Zadeh 1963)

$$Max Z = \emptyset Z_1 - (1 - \emptyset) Z_2$$

Subject to

•
$$N_S = \sum_{i=1}^{N_{Smax}} \alpha_n$$

- $N_S \leq NS_{max}$
- $N_S \geq NS_{min}$

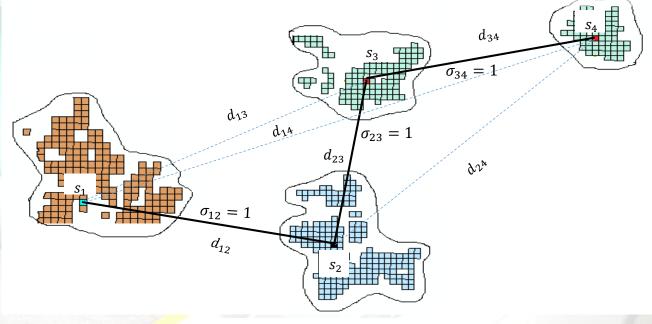
•
$$\sum_{i=1, i\neq j}^{N_S-1} \sigma_{ij} = 1, j \in \{2, ..., N_S\}$$

•
$$\sum_{j=2, j \neq i}^{N_S} \sigma_{ij} = 1, i \in \{1, 2, ..., N_S - 1\}$$

•
$$\sum_{i=1}^{N_S-1} \sum_{j=2, i \neq j}^{N_S} \sigma_{ij} = N_S - 1$$

•
$$d_{n,m} \ge IDS_{min}$$
: $\forall \alpha_n = 1, \alpha_m = 1, m = n + 1$

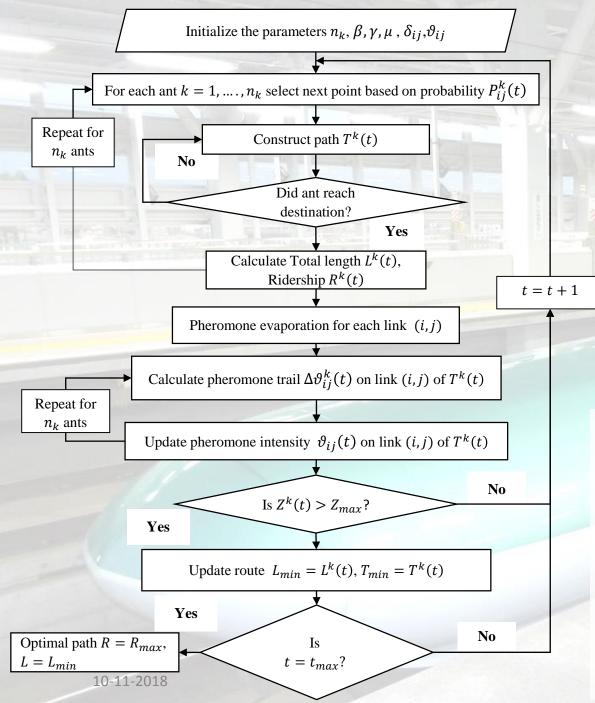
- $Z_2 \leq TDS_{max}$
- $\sigma_{ij} = [0,1]$
- $\alpha_{ij} = [0,1]$
- $\sigma_{ij} = \begin{cases} 1 \text{ if the route goes from station } s_i \text{to } s_j \\ 0 \text{ otherwise} \end{cases}$
- $\alpha_n = \begin{cases} 1 \text{ if the route covers station } s_n \\ 0 \text{ otherwise} \end{cases}$



Problem definition and Literature Review

- No exclusive literature on HSR
- Shares common features with bus and rail transit design problem, with similar objectives and constraints
- Analytical optimization:
 - Applied to predetermined transit route networks to determine one or few design parameters
 - Successful for problems with smaller networks or lesser decision variables, but their performance efficiency decreased for networks with realistic size, having many parameters
- Meta heuristics:
 - Simultaneously dealt with design of the transit route along with associated parameters

| | Analytical optimization | Meta heuristics |
|---|------------------------------|----------------------------------|
| | Vuchic (1969, 1972) | Lampkin and Saalmans (1967), |
| | Lesley (1976), | Rea (1971), Silman et al. |
| | Wirasinghe and Ghoneim | (1974), Dubois et al. (1979), |
| | (1981), | Ceder and Wilson (1986), |
| | Saka (2001) | Ceder and Israeli (1998), and |
| | Newell (1979), | Laporte et al. (2005). |
| | Leblanc (1988), | |
| | Boffey and Narula (1998), | Artificial intelligence-based |
| | Current and Schilling (1989, | Hasselstrom (1981), Van Nes |
| | 1994), | et al. (1988), Baaj and |
| | Hachicha et al. (2000), | Mahmassani (1991), and Shih |
| | Wu (2005) | et al. (1998a, b) |
| | | Genetic algorithm-based |
| | | Pattnaik et al. (1998), Chien et |
| | | al. (2001), Fan and |
| 1 | | Machemehl (2004) |
| | | Simulated annealing-based |
| | | Fan and Machemehl (2005) |
| | | and Yan et al. (2013) 6 |
| | | TROPING. |



Solution Methodology: Ant Colony Optimization

$$\delta_{ij}(t) = (r_i + r_j)/d_{ij}$$

$$P_{ij}^k(t) = \begin{cases} \frac{[\vartheta_{ij}(t)]^{\beta} [\delta_{ij}(t)]^{\gamma}}{\sum_{u \in N_i^k(t)} [\vartheta_{iu}(t)]^{\beta} [\delta_{iu}(t)]^{\gamma}} & \text{if } j \in N_i^k(t) \\ 0 & \text{if } j \notin N_i^k(t) \end{cases}$$

$$\Delta \vartheta_{ij}^k(t) = \frac{R^k(t)}{L^k(t)}, (i,j) \in T^k(t) \text{ (Contribution of this study)}$$

$$L^k(t) = \sum_{i,j=i+1}^{N_S-1} d_{ij}, (i,j) \in T^k(t)$$

$$R^k(t) = \sum_i^{N_S} r_i, \quad i \in T^k(t) \text{ (Contribution of this study)}$$

$$\vartheta_{ij}(t+1) = (1-\mu)\vartheta_{ij}(t) + \sum_{k=1}^{n_k} \Delta \vartheta_{ij}^k(t)$$

 n_k =number of ants

 ϑ_{ij} = pheromone intensity between locations (i,j)

 $\delta_{ij}=$ visibility or attractiveness of the of location j from location i

 β = constant used to amplify the influence of pheromone intensity

 γ = and increase the attractiveness towards other locations

 $\mu = \text{evaporation rate}$

 N_i^k = set of feasible locations connected to location i, with respect to ant k

Case Study & Data Collection

- Mumbai-Ahmedabad HSR Corridor
- India's 1st HSR Line
- 28 major stations in total between Mumbai and Ahmedabad
- Number of intercity OD pairs and cities:

Threshold value of population for cities for HSR implementation: 500,000 (Takeshita, 2012). Population data extracted from website of the Census of India in spreadsheet table format.

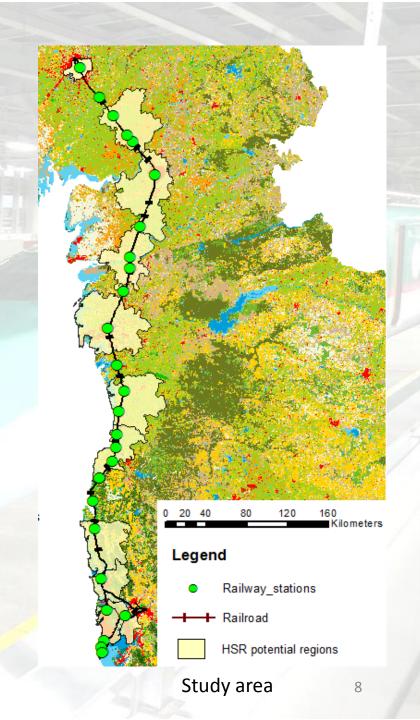
A Python based search program was created to identify sub districts and cities that had the estimated population level over the threshold value

11 regions (sub-districts and cities) were identified in the Mumbai-Ahmedabad corridor: Ahmedabad, Anand, Bharuch, Vadodara, Surat, Valsad, Vapi, Thane, Boisar, Vasai-Virar, and Mumbai.

GIS Shapefiles:

Source: Open Street Maps [2017]

Point shapefiles: locations, transportation points (bus stops, railway stations)



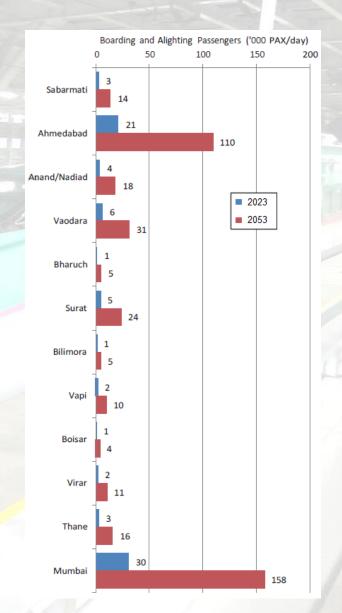
Data Collection

• Ridership data:

Taken from report on the Joint Feasibility Study for Mumbai-Ahmedabad High Speed Railway Corridor (2015) prepared by JICA for horizon year 2023.

Table 1. Input Parameters

| Input parameters | Values | Source |
|--|--------|---------------------------|
| Factors controlling trail θ | 1.0 | Brezina and Cickova, 2011 |
| Factors controlling visibility y | 2.0 | |
| Pheromone evaporation rate $	au$ | 0.5 | |
| Number of ants n_k | 500 | Assumed |
| Maximum number of generations | 400 | Assumed |
| Distance between Consecutive Stations IDS | 24km | Stanford Research |
| Distance between Consecutive Stations IDS_{min} | 24KIII | Institute, 1968 |
| Maximum Distance between Terminal Stations TDS_{max} | 800km | Takeshita, 2012 |
| Minimum Number of Stations in the Corridor NS_{min} | 2 | Assumed |
| Maximum Number of Stations in the Corridor NS_{max} | 11 | RITES, 2013; JICA, 2015 |



Results

- Proposed model was run by varying the values of weightage factor Ø for sufficient number of iterations until the results converged
- With increase in travel distance, access and ridership coverage increases, and vice versa.
- When Ø changes from 0.35 to 0.4, 0.7 to 0.75: significant change in travel distance, ridership and access coverage (number of stations)
- Ø variation between 0.4 to 0.7 provides a reasonable trade off as the variation in travel distance with ridership and access coverage is significantly less within this range

Table Ridership coverage and travel distance trade-off

| | Weightage Ø | Ridership | Travel | Ridership | Number of |
|---|-------------|--------------------------|---------------------------|-----------|-----------|
| | | covered $oldsymbol{Z_1}$ | distance $oldsymbol{Z_2}$ | per | stations |
| | TA | (pass./day) | (km) | distance | 4-1 |
| | \$40,377 | | | unit | |
| | 0 | 53000 | 421.48 | 125.7474 | 3 |
| | 0.05 | 53000 | 421.48 | 125.7474 | 3 |
| | 0.10 | 59000 | 422.96 | 139.4931 | 5 |
| , | 0.15 | 59000 | 422.96 | 139.4931 | 5 |
| | 0.20 | 59000 | 422.96 | 139.4931 | 5 |
| | 0.25 | 59000 | 422.96 | 139.4931 | 5 |
| | 0.30 | 59000 | 422.96 | 139.4931 | 5 |
| | 0.35 | 59000 | 422.96 | 139.4931 | 5 |
| | 0.40 | 72000 | 445.70 | 161.5436 | 9 |
| | 0.45 | 72000 | 445.70 | 161.5436 | 9 |
| | 0.50 | 72000 | 445.70 | 161.5436 | 9 |
| | 0.55 | 73000 | 448.29 | 162.841 | 10 |
| | 0.60 | 73000 | 448.29 | 162.841 | 10 |
| | 0.65 | 73000 | 448.42 | 162.7938 | 10 |
| | 0.70 | 73000 | 448.42 | 162.7938 | 10 |
| | 0.75 | 76000 | 472.69 | 160.7819 | 11 |
| | 0.80 | 76000 | 472.69 | 160.7819 | 11 |
| | 0.85 | 76000 | 472.69 | 160.7819 | 11 |
| | 0.90 | 76000 | 472.69 | 160.7819 | 11 |
| | 0.95 | 76000 | 472.69 | 160.7819 | 11 |
| | 1.00 | 76000 | 473.982 | 160.3436 | 11 |



Conclusion

- Integrated interoperable rail systems facilitate movement of high speed rail (HSR) trains on conventional intercity lines, or vice versa
- Preferred that HSR station are at existing intercity rail station locations
- All existing intercity stations may not satisfy the ridership potential, corridor length and interstation spacing requirements necessary for HSR operation
- A trade-off or balance must be obtained between ridership, access coverage and travel distance/time
- Geographical Information System (GIS) based interoperable HSR station location identification approach along existing intercity rail
- A combined ridership maximization and travel distance/time minimization formulation is developed using weightage method
- Threshold inter-station travel time/distance between intended station locations, total end to end corridor travel distance/time and threshold population used as constraints
- Ant colony as the heuristic method to optimize the formulated problem
- Required trade-off necessary for designing an interoperable HSR system obtained for weightage factor variation between 0.4 to 0.7



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